

P

T. SIDÉREO

→ DÍA SIDÉREO : 2 rotaciones de \oplus = 24 Horas sidereas

S. Ficticio

T. SOLAR MEDIO

→ DÍA SOLAR MEDIO : 2 culm. del S. Ficticio = 24 Horas

T. SOLAR APARENTE

→ DÍA SOLAR VERDADERO : 2 culm. de \odot

= 365.2

PARCIAL :

20 Abril

VÉR WEB CURSO:

- ESP. CELESTE INTER.
- NOV. SOL

1º

T. SIDÉREO

→ DÍA SIDÉREO : 2 rotaciones de \oplus = 24 Horas sidereas

MEDIO

→ DÍA SOLAR MEDIO : 2 culm. del S. Ficticio = 24 Horas

APARENTE

→ DÍA SOLAR VERDADERO : 2 culm. de \odot

1 AÑO

= 365.25 DÍAS SOLARES (MEDIOS)

$365.25 + 1$ DÍAS SIDÉREOS

$$\text{DÍA SIDÉREO} = \frac{365.25}{366.25} \text{ DÍAS SOLARES}$$

$$= 0.997269 \dots = (1.002737)^{-1}$$

1 DÍA SIDÉREO

= 23^h 56^m 4^s DE T. SOLAR MEDIO

PARCIAL :

20 Abril

VER WEB CURSO:

- ESF. CELESTE INTER.
- NOV. SOL

T. Sol Medio Greenwich =

$$T_{SOL} L = (T_{SG}) + \lambda$$

RELOJ

1 AÑO

= 365.25 DÍAS SOLARES (MEDIOS)

$365.25 + 1$ DÍAS SIDÉREOS

$$\text{DÍA SIDÉREO} = \frac{365.25}{366.25} \text{ DÍAS SOLARES}$$

$$= 0.997269 \dots = (1.002737)^{-1}$$

1 DÍA SIDÉREO

$= 23^h 56^m 4^s$ DE T. SOL MEDIOS



PARCIAL:

20 Abril

VER WEB CURSO:

- ESP. CELESTE INTER.
- NOV. SOL

$$T. Sol Medio Greenwich = H_{SG}(\text{Greenwich}) + 12^h = T. Universal (TU)$$

$$\boxed{H_L U = TU - 3^h}$$

E
S
U
C
O
A
L
Y
A

$$TSOL = (TSG) + \lambda$$

RELOJ

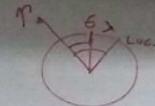
$$\boxed{1 \text{ AÑO} = 365.25 \text{ DÍAS SOLARES (medios)}}$$

$$365.25 + 1 \text{ DÍAS SIDÉREOS}$$

$$\text{DÍA SIDÉREO} = \frac{365.25}{366.25} \text{ DÍAS SOLARES}$$

$$= 0.997269 \dots = (1.002737)^{-1}$$

$$\boxed{1 \text{ DÍA SIDÉREO} = 23^h 56^m 4^s \text{ DE T. SOLAR MEDIO}}$$



PARCIAL:
20 Abril

VEN WEB CURSO:
- ESP. CELESTIC INTER.
- NOV. SOL

$$T. Sol Medio Greenwich = H_{SG} (\text{Greenwich}) + 12^h = T. Universal (TU)$$

$$\boxed{H L U = TU - 3^h}$$

E
G
U
S
O
P
Y

 T
S
A
M
= (TS)
Specifico

 Greenwich

T
TSol Ap (Mon) \rightarrow

$$TSOL = (TSG) + \lambda$$

Relos

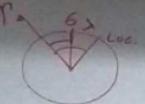
$$1 \text{ a\acute{o}} = 365.25 \text{ d\ias solares (medios)}$$

$$365.25 + 1 \text{ d\ias sidericos}$$

$$\text{D\ia siderico} = \frac{365.25}{366.25} \text{ d\ias solares}$$

$$= 0.997269 \dots = (1.002737)^{-1}$$

$$1 \text{ d\ia siderico} = 23^h 56^m 4^s \text{ DE T. SOL MEDIO}$$



PARCIAL:
20 Abril

V\EN WEB CURSO:
-ESF. CELESTIC INTER.
-MOV. SOL

$$T. San M \text{ en Greenwich} = H_{SP}(\text{Greenwich}) + 12^h = T. \text{ Universal (TU)}$$

$$HLU = TU - 3^h$$

E
G
U
O
A
L
Y
A

$$TSAM = TSAP(G) - ET$$

G
 Greenwich
 Specific
 Moon

$$\Rightarrow HLU = TSAP(Mon) - ET - 3^h$$

Reloj solar
Specific
Moon

$$HLU = T$$



PARCIAL:
20 Abril

VER WEB CURSO:
- ESF. CELESTIC INTER.
- NOV. SOL

$$T_{\text{Sideral}} \text{ New Greenwich} = H_{\text{SF}}(\text{Greenwich}) + 12^{\text{h}} = T_{\text{Universal}} (\text{TU})$$

$$\boxed{HLU = TU - 3^{\text{h}}}$$

E
G
U
A
L
Y
A

$$TS_{\text{M}} = TS_{\text{Ap}}(\text{Mun}) - ET$$

$$TS_{\text{Ap}}(\text{G}) = TS_{\text{Ap}}(\text{Mun}) - ET$$

$$\Rightarrow HLU = TS_{\text{Ap}}(\text{Mun}) - \lambda_{\text{new}} - ET - 3^{\text{h}} = TS_{\text{Ap}}(\text{Mun}) + 3^{\text{h}} + 44^{\text{m}} - ET - 3^{\text{h}}$$

Reloj solar
Siderico

$$HLU = TS_{\text{Ap}}(\text{Mun}) + 44^{\text{m}} - ET$$

Reloj
Reloj Siderico

$$TS_{\text{G}} = f($$

PARTIAL:
20 Abril
WEB CURSO:
CELESTIC INTER.
sol

Astronomer standing at the whiteboard, holding a marker.

T.

$$E_{\text{Greenwich}} = H_{\text{SF}}(\text{Greenwich}) + 12^{\text{h}} = T_{\text{Universal}} (\text{TU})$$

$$-3^{\text{h}}$$

$$\begin{aligned} \text{Greenwich} \\ \text{M} \\ \text{Ficticio} \end{aligned} = \boxed{TS_{\text{Mun}} \text{ Ap.}} - ET$$

$$\cancel{-3^{\text{h}} - ET} = TS_{\text{Ap}}(\text{Mun}) + \cancel{3^{\text{h}} + 44^{\text{m}}} - ET \cancel{-3^{\text{h}}} \\ \cancel{(3^{\text{h}} 44^{\text{m}})}$$

$$TS_{\text{Ap}}(G) = TS_{\text{Mun}} \text{ Ap.} - \lambda_{\text{Mun}}$$

$$H_{\text{LU}} = TS_{\text{Mun}} \text{ Ap.} + 44^{\text{m}} - ET$$

RELOJ RELOJ sum

$$TS_{\text{Sid}} \text{ Greenwich} = f(TU)$$

INSTANTE
EXPOSICIÓN

PARCIAL :

20 Abril

VER WEB CURSO:
 - ESF. CELESTIC INTER.
 - NOV. SOL

T. San Medio Greenwich = H_{SF} (Greenwich)

$$HLU = TU - 3^h$$

$$\begin{matrix} E & U \\ 6 & C \\ A & L \\ L & Y \\ A & D \end{matrix}$$

$$TSaM = ($$

RELOJ SOLAR

STICERICO

$$\Rightarrow HLU = TSaAp(Mon) - \lambda_{Mon} - ET - (3^h 44m)$$

T. Universal (TU)

$$TSaAp(Mon) \rightarrow$$

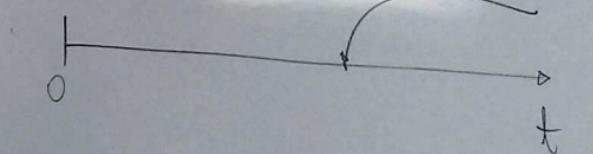
$$HLU = TSaAp(Mon) + 44m - ET$$

RELOJ

RELOJ SISTEMA

1 ENERO 12 TU
- 4713

JD = 0



$$TSiO_{\text{Greenwich}} = f(TU)$$

$$f(\text{MES}, \text{DIA}, \text{AÑO}, \text{TU}) \downarrow \text{JD}$$

PARCIAL:
20 Abril

VÉR WEB CURSO:
-ESF. CELESTE INTER.
-NOV. SOL

FECHA JULIANA

JD

$$T_{\text{Sar}} \text{ New Greenwich} = H_{\text{SF}}(\text{Greenwich}) + 12^{\text{h}} = T_{\text{Universal}} (\text{TU})$$

$$\boxed{HLU = \text{TU} - 3^{\text{h}}}$$

$$TS_{\text{Ap}}(G) = TS_{\text{Ap}}(\text{Mon}) - ET$$

$$\Rightarrow HLU = TS_{\text{Ap}}(\text{Mar}) - \lambda_{\text{Mar}} - ET - 3^{\text{h}} = TS_{\text{Ap}}(\text{Mar}) + 3^{\text{h}} + 44^{\text{m}} - ET - 3^{\text{h}}$$

RELÓ SOLAR

STÍRCIA

RELÓ SEM

$$HLU = TS_{\text{Ap}}(\text{Mon}) + 44^{\text{m}} - ET$$

RELÓ

RELÓ SEM

$$1 \text{ ENERO } 12 \text{ TU} \\ - 4713$$

$$JD = 0$$

$$TS_{\text{d}} \text{ Greenwich} = f(\text{TU})$$

INSTANTES EXPRESADOS

$$2000.0 \quad JD = 2451545.0$$

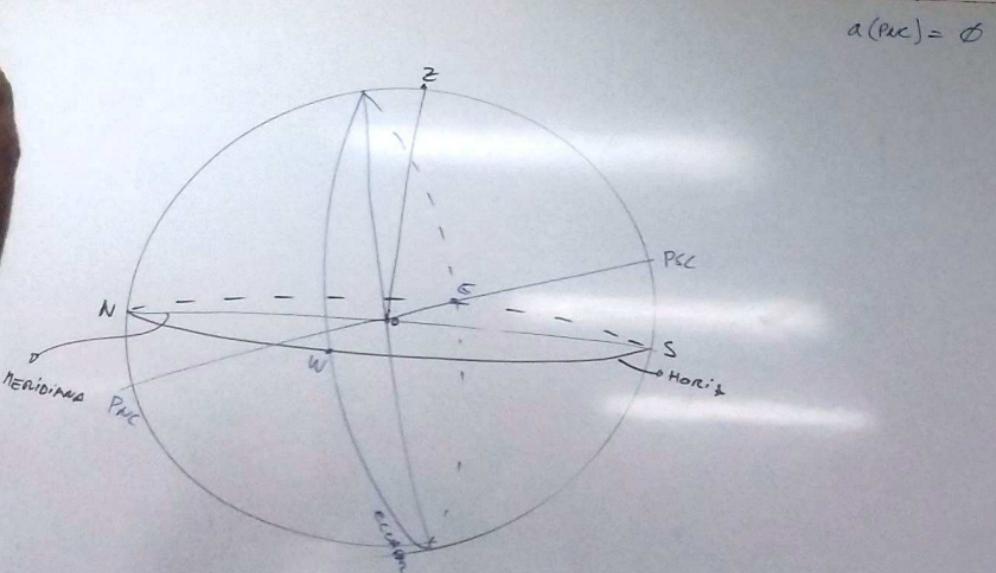
$$f(\text{Año}, \text{Mes}, \text{Día}, \text{TU}) \downarrow JD$$

PARCIAL:
20 Abril

VER WEB CURSO:
- ESP. CELESTE INTER.
- NOV. SOL

FECHA JULIANA

$$JD$$



PARCIAL:

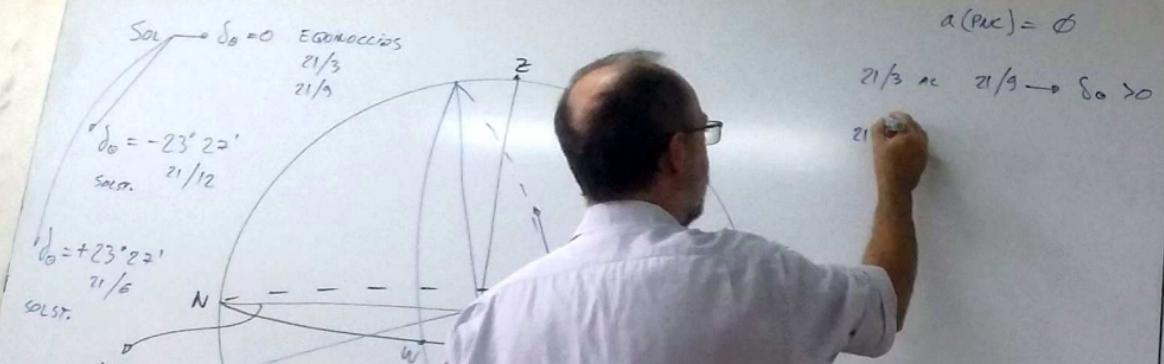
20 Abril

VEN WEB CURSO:

- ESF. CELESTIC INTER.
- NOV. SOL

FECHA JULIANA

JD



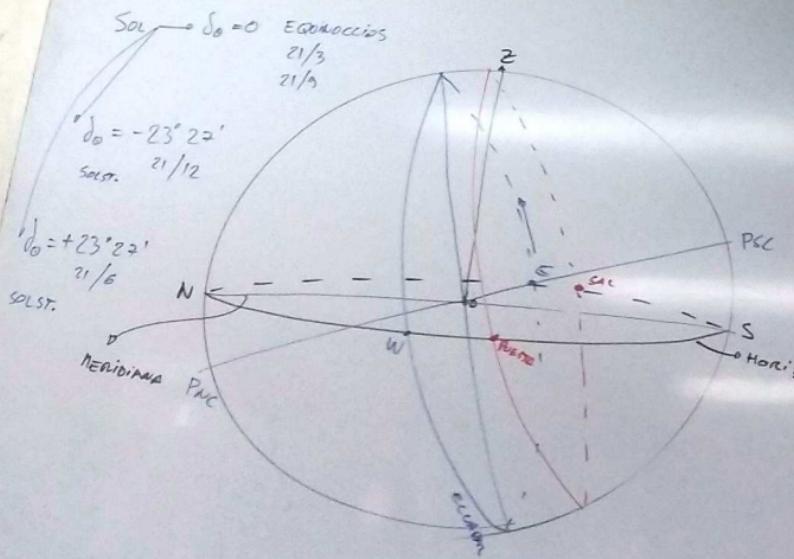
$\alpha(\text{PUC}) = \phi$
21/3 ac 21/9 $\rightarrow \delta_0 > 0$

PARCIAL:
20 Abril

VER WEB CURSO:
- ESF. CELESTE INTER.
- NOV. SOL

FECHA JULIANA

JD



$$\alpha(\text{PSC}) = \phi$$

21/3 ac 21/9 $\rightarrow d_0 > 0$

21/9 ac 21/3 $\rightarrow d_0 < 0$

$d_0 \rightarrow$ VARIACIÓN EN DURACIÓN
DEL DÍA

VARIACIÓN ANUAL
DE LA
INSOLACIÓN

PARCIAL:
20 Abril

VER WEB CURSO:
-ESF. CELESTE INTER.
-NOV. SOL

FECHA JULIANA

JD

CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{4\pi} \cdot \frac{L_0}{r^2} = \frac{L_0}{4\pi r_\oplus^2}$$



a) $\alpha > 0$

b) $\alpha < 0$

$\Delta Q \rightarrow$ VARIACIÓN EN DURACIÓN
DEL DÍA

VARIACIÓN ANUAL
DE LA
INSOLACIÓN

PARCIAL :

20 Abril

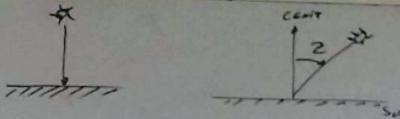
VER WEB CURSO:
- ESP. CELESTE INTER.
- NOV. SOL

FECHA JULIANA

JD

CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{4\pi} \cdot r_0^2 \cdot \frac{L_0}{4\pi r_0^2}$$



$$\Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \Delta t \cdot \cos z$$

ENERGÍA
TOTAL
RECIBIDA

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \int_{t_{start}}^{t_{fin}} \cos z(t) \cdot dt$$

PACIAL:

20 Abril

VER WEB CURSO:

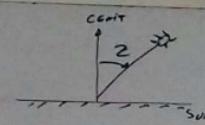
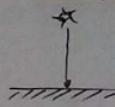
- ESP. CELESTE INTER.
- NOV. SOL

FECHA JULIANA

JD

CÁLCULO DE INSOLACIÓN

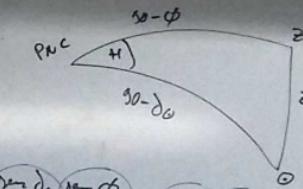
$$\frac{L_0}{\frac{\Sigma}{4\pi}} \xrightarrow{r_0} \frac{L_0}{4\pi r_0^2}$$



$$\Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \Delta t \cdot \cos z$$

ENERGÍA
TOTAL
RECIBIDA

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \left[\begin{array}{l} t_{\text{ASTRA}} \\ t_{\text{EN}} \end{array} \right] \cos z(*) \cdot \Delta t$$



$$\cos z = \cos \delta_0 \cos \phi + (\cos \delta_0 \sin \phi) \cos H$$

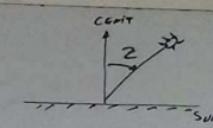
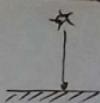
$$\Delta H = \frac{2\pi}{D_F}$$

ΔH

CÁLCULO DE INSOLACIÓN

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_\odot^2} \cdot \frac{\Delta t}{2\pi} \int_{H_{\text{se}}^m}^{H_{\text{se}}^m} (\cos \delta)$$

$$\frac{L_0}{4\pi} \frac{\partial \phi}{\partial t}$$



$$\Delta Q = \frac{L_0}{4\pi r_\odot^2} \cdot \Delta t \cdot \cos z$$

↑
ENERGÍA
TOTAL
RECIBIDA

$$\cos z = \frac{\sin \delta \cos \phi}{\cos \delta \cos \phi + \cos \delta \sin \phi \cdot \cos H}$$

$$\Delta Q = \frac{L_0}{4\pi r_\odot^2} \int_{t_{\text{trans}}}^{t_{\text{postm}}} \cos z(*) \cdot dt$$

$$= \frac{L_0}{4\pi r_\odot^2} \left(\frac{\sin \delta \cos \phi}{\cos \delta \cos \phi + \cos \delta \sin \phi \cdot \cos H} \right) dt$$

$$\Delta H = \frac{2\pi}{D_F} \cdot \Delta t$$

D_F
 $24''$

$$dt \cdot \frac{\Delta t}{2\pi}$$

CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{4\pi} \cdot \frac{L_0}{r_0^2}$$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\Delta t}{2\pi} \left[H_{\text{atm}} + (\cos \delta_0 \cos \phi + \cos \delta_0 \sin \phi \cos H) dH \right]$$

$\rightarrow \tan \delta_0 \cos \phi \cdot (H_p - H_{\text{atm}})$

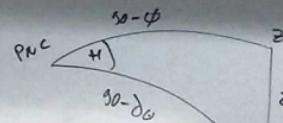
$$\frac{H_p}{2H_p}$$

$$\cos \delta_0 \cos \phi \cdot \tan H \left| \begin{array}{l} H_p \\ H_{\text{atm}} \end{array} \right. = \cos \delta_0 \cos \phi \left(\tan H_p - \tan H_{\text{atm}} \right)$$

$$\frac{2 \tan H_p}{2 \tan H_p}$$



$$\Delta Q = \frac{L_0}{4\pi} \cdot \frac{\Delta t}{2\pi}$$



$$\cos z = \cos \delta_0 \cos \phi + \cos \delta_0 \sin \phi \cos H$$

$$\Delta H = \frac{2\pi}{D_F} \cdot \Delta t$$

24"

CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{4\pi r_0^2} \cdot \frac{L_0}{9\pi r_0^2}$$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\text{Día}}{2\pi} \left[(\sin \delta_0 \cos \phi + \cos \delta_0 \cos \phi \cdot \tan H) dH \right]$$

H_{sun}
 H_p
 H_{sun}
 $\sin \delta_0 \cos \phi \cdot (H_p - H_{\text{sun}})$
 $2H_p$
 $\cos \delta_0 \cos \phi \cdot \tan H$
 H_p
 H_{sun}
 $2 \sin H_p$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\text{Día}}{2\pi} \left[\sin \delta_0 \cos \phi \cdot 2H_p + \cos \delta_0 \cos \phi \cdot 2 \sin H_p \right]$$

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \frac{\text{Día}}{2\pi} \cdot 2 \left(\sin \delta_0 \cos \phi \cdot H_p + \cos \delta_0 \cos \phi \cdot \sin H_p \right)$$

$\sin \delta_0 \cos \phi \cdot H_p$
 $\cos \delta_0 \cos \phi \cdot \sin H_p$
 $H_i(\delta)$
 $t_0 \phi$



CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{\frac{\Sigma}{4\pi}} \xrightarrow{T} \frac{L_0}{4\pi r_0^2}$$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\partial z}{2\pi} \left[(\cos \delta_0 \cos \phi + \sin \delta_0 \cos \phi \cdot \cos H) dH \right]$$

H_{sun}
 H_{sec}

$\hookrightarrow \tan \delta_0 \cos \phi \cdot (H_p - H_{\text{sun}})$

$\frac{H_p}{2H_p}$

$\hookrightarrow \cos \delta_0 \cos \phi \cdot \cos H \left| \begin{array}{l} H_p \\ H_{\text{sun}} \end{array} \right. = \cos \delta_0 \cos \phi \left(\sin H_p - \sin H_{\text{sun}} \right)$

$\frac{2 \sin H_p}{2 \sin H_p}$

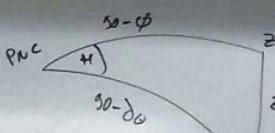
$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\partial z}{2\pi} \left[\sin \delta_0 \cos \phi \cdot 2H_p + \cos \delta_0 \cos \phi \cdot 2 \sin H_p \right]$$

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \frac{\partial z}{2\pi} \cdot 2 \left(\sin \delta_0 \cos \phi \cdot H_p + \cos \delta_0 \cos \phi \cdot \sin H_p \right)$$

$$\Delta Q(\delta_0, \phi, r_0)$$

$+23^\circ 23'$
 $-23^\circ 23'$
 $+23^\circ 23'$
 -35°

$$H_p(\delta_0, \phi)$$



$$\cos H_p = -\tan \delta_0 \tan \phi$$

↓



CÁLCULO DE INSOLACIÓN

$$\frac{L_0}{\frac{\pi}{4r}} \cdot \frac{L_0}{4\pi r_0^2} \cdot \frac{r_0}{2\pi}$$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{r_0}{2\pi} \left[\cos \delta_0 \cos \phi + \sin \delta_0 \cos \phi \cdot \tan H \right] dH$$

$$\text{Ind. da un } \phi. (H_p - H_{\text{sec}})$$

$$\frac{H_p}{2H_p}$$

$$\cos \delta_0 \cos \phi \cdot \tan H \left| \frac{H_p}{H_{\text{sec}}} \right. = \cos \delta_0 \cos \phi \left(\sin H_p - \sin H_{\text{sec}} \right)$$

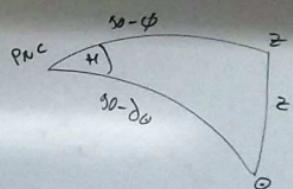
$$\frac{2 \sin H_p}{2 \sin H_p}$$

$$\Rightarrow \Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{r_0}{2\pi} \left[\cos \delta_0 \cos \phi \cdot 2H_p + \sin \delta_0 \cos \phi \cdot 2 \sin H_p \right]$$

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{r_0}{2\pi} \cdot 2 \left(\cos \delta_0 \cos \phi \cdot H_p + \sin \delta_0 \cos \phi \cdot \sin H_p \right)$$

$$\Delta Q(\delta_0, \phi, r_0)$$

$$H_i(\delta_0, \phi)$$



$$\cos H_p = -\tan \delta_0 \tan \phi$$

$$\cos H_p = -\tan \delta_0 \tan \phi$$



CREPÚSCULOS

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\sin \phi}{2\pi} \left[m \delta_{\phi} \cos \phi \cdot 2H_p + c \delta_{\phi} \cos \phi \cdot 2m H_p \right]$$

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \frac{\sin \phi}{2\pi} \cdot 2 \left(m \delta_{\phi} \cos \phi \cdot H_p + c \delta_{\phi} \cos \phi \cdot m H_p \right)$$

$$\Delta Q(\delta_{\phi}, \phi, r_0)$$

+23° 23°
-23° 23°
-35°

LAT

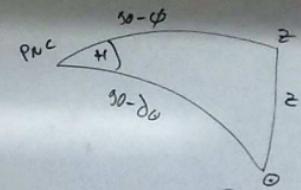
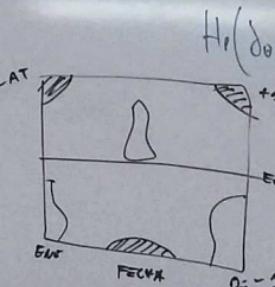
EC.

EAST

WEST

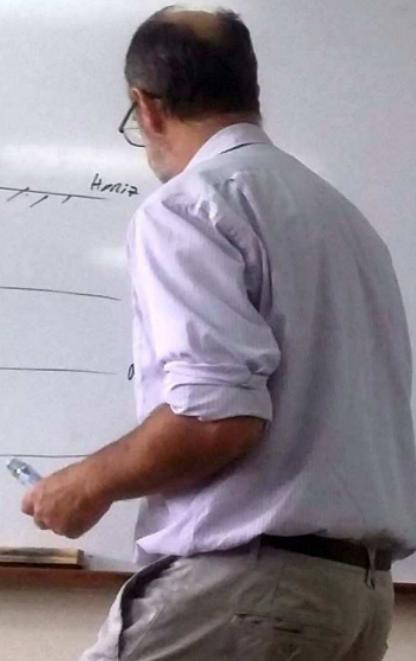
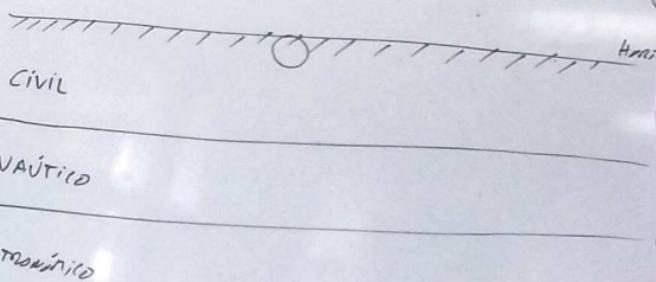
FECHA
 δ_{ϕ}

$Q_c = 10$



$$m H_p = -t \delta_{\phi} t \phi$$

$$m H_p = m \delta_{\phi} \cos \phi + m \delta_{\phi} \sin \phi \cdot m H$$

CREPÚSCULOS

$$\Delta Q = \frac{L_0}{4\pi r_0^2} \cdot \frac{\gamma_{12}}{2\pi} \left[m \delta_{\text{obs}} \cos \phi \cdot 2H_p + c \delta_{\text{obs}} \cos \phi \cdot 2mH_p \right]$$

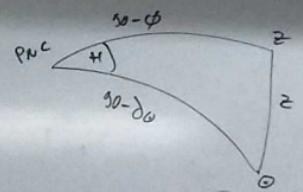
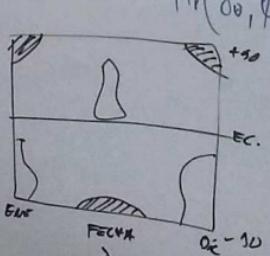
$$\Delta Q = \frac{L_0}{4\pi r_0^2} \frac{\gamma_{12}}{2\pi} \cdot 2 \left(m \delta_{\text{obs}} \cos \phi \cdot H_p + c \delta_{\text{obs}} \cos \phi \cdot mH_p \right)$$

$$\Delta Q(\delta_{\text{obs}}, \phi, r_0)$$

+23° 23'
-23° 23'

+35° 23'
-35° 23'

LAT



$$mH_p = -t \delta_{\text{obs}} t \phi$$

$$(mz) = m \delta_{\text{obs}} \phi + m \delta_{\text{obs}} \phi \cdot mH_p$$

CREPÚSCULOS